

Logistic regression

CSI 4106 - Fall 2025

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Preamble

Message of the Day



[AI and the Rise of Techno-Fascism in the United States](#) by Gary Kasparov, The Atlantic, 2025-09-05. (31m 13s)

A 30 minutes podcast where Garry Kasparov is joined by cognitive scientist Gary Marcus.

[Garry Kasparov](#) (b. 1963) is a Russian chess grandmaster and former World Chess Champion, widely regarded as one of the greatest players in history. He held the world's top ranking for nearly two decades and is also known for his matches against IBM's Deep Blue and his later political activism and writing.

[Gary Marcus](#) (b. 1965) is an American cognitive scientist, author, and entrepreneur. He is known for his critiques of deep learning, his work on language acquisition and cognitive development, and for founding several AI startups.

Kasparov and Marcus agree that AI is a tool—neither inherently utopian nor dystopian—and that the real risks stem from how it is used and by whom. Marcus emphasizes current AI systems still lack genuine understanding; they work by pattern recognition over vast datasets, not by grasping rules or concepts, which leads to alignment problems: machines frequently err or act in unforeseen ways. A major concern is how AI amplifies political deception, surveillance, and information manipulation—tools favored by autocratic or oligarchic interests. On the brighter side, they argue that we are not powerless: democratic societies still have levers—legal regulation, mass action, resistance, insistence on accountability—and might yet steer AI toward benefiting rather than undermining democracy. The default path is dangerous, but with political will, things need not slide irreversibly toward techno-fascism. (Summary generated by ChatGPT 5 on 2025-09-16)

Learning Objectives

- **Differentiate** between binary classification and multi-class classification paradigms.
- **Describe** a methodology for converting multi-class classification problems into binary classification tasks.
- **Implement** a logistic regression algorithm, focusing on its application in classification problems.

Classification tasks

Definitions

- **Binary classification** is a supervised learning task where the objective is to categorize instances (examples) into one of **two discrete classes**.
- A **multi-class classification** task is a type of supervised learning problem where the objective is to categorize instances into one of **three or more discrete classes**.

Caveat: Multi-class classification should not be confused with **multi-label classification**, which allows an instance to be associated with multiple classes. The algorithms designed to address these tasks differ significantly.

- An example of a binary classification task is the prediction of disease status using genomic data (Wu et al. 2018).
- Researchers often seek to accurately classify the type, subtype, or stage of cancer using gene expression data. For example, in the Pan-Cancer Atlas, specific cancers such as Breast Cancer (BRCA), Colon Adenocarcinoma (COAD), Lung

Adenocarcinoma (LUAD), Ovarian Cancer (OV), and Thyroid Cancer (THCA) can be differentiated based on their unique gene expression profiles (Alharbi and Vakanski 2023).

Binary classification

- Some machine learning algorithms are specifically designed to solve binary classification problems.
 - **Logistic regression** and **support vector machines** (SVMs) are such examples.

Later in the presentation, make sure to understand why the logistic regression is specifically designed to solve binary classification problems.

Multi-class classification

- Any **multi-class classification problem** can be transformed into a **binary classification problem**.
- **One-vs-All (OvA)**
 - A **separate binary classifier** is trained **for each class**.
 - For each classifier, **one class** is treated as the **positive class**, and **all other classes** are treated as the **negative class**.
 - The **final assignment** of a class label is made based on the classifier that outputs the **highest confidence score** for a given input.

Scikit-learn offers `OneVsRestClassifier`, a utility designed to extend binary classifiers for multi-class classification tasks via the One-vs-Rest strategy.

A complete example will be presented at the end of the lecture.

Logistic Regression

Data and Problem

- **Dataset:** Palmer Penguins
- **Task:** Binary classification to distinguish Gentoo penguins from non-Gentoo species
- **Feature of Interest:** Flipper length

Histogram

```
In [1]: import numpy as np
import matplotlib.pyplot as plt
import seaborn as sns
```

```

try:
    from palmerpenguins import load_penguins
except ImportError:
    ! pip install palmerpenguins
    from palmerpenguins import load_penguins

# Load the Palmer Penguins dataset
df = load_penguins()

# Keep only 'flipper_length_mm' and 'species'
df = df[['flipper_length_mm', 'species']]

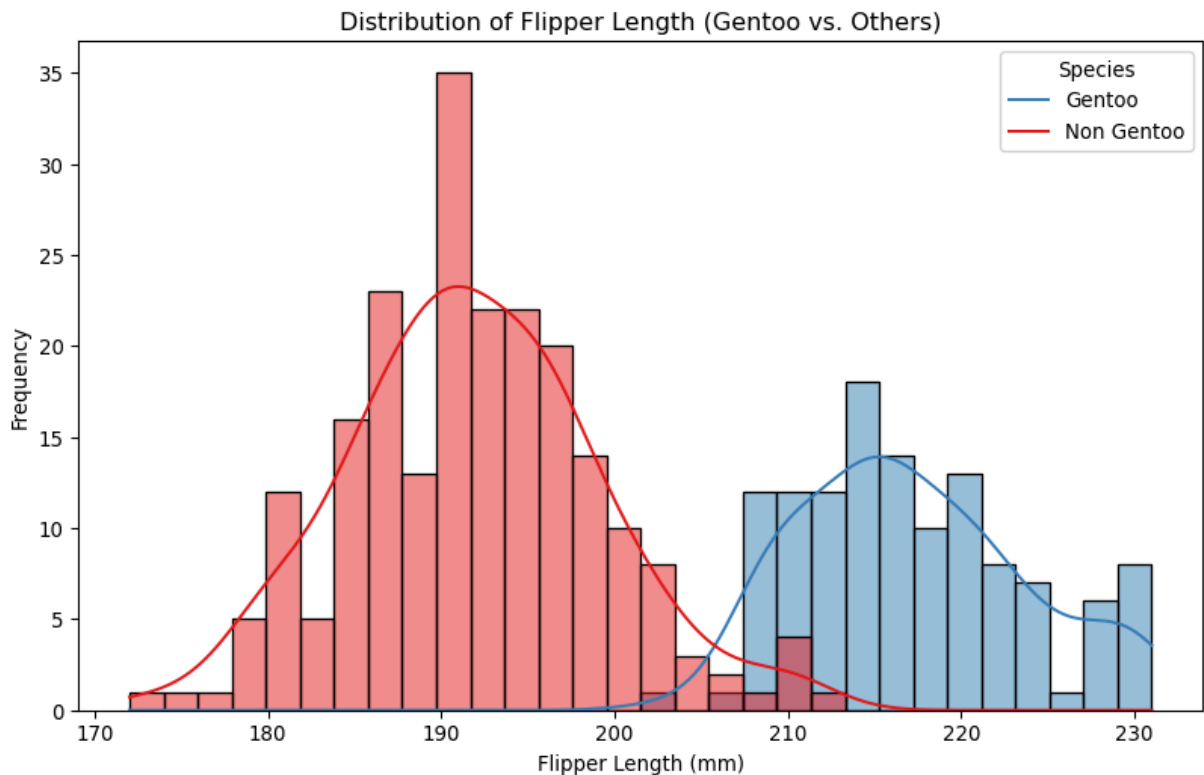
# Drop rows with missing values (NaNs)
df.dropna(inplace=True)

# Create a binary label: 1 if Gentoo, 0 otherwise
df['is_gentoo'] = (df['species'] == 'Gentoo').astype(int)

# Separate features (X) and labels (y)
X = df[['flipper_length_mm']]
y = df['is_gentoo']

# Plot the distribution of flipper lengths by binary species label
plt.figure(figsize=(10, 6))
sns.histplot(data=df, x='flipper_length_mm', hue='is_gentoo', kde=True, bins=
plt.title('Distribution of Flipper Length (Gentoo vs. Others)')
plt.xlabel('Flipper Length (mm)')
plt.ylabel('Frequency')
plt.legend(title='Species', labels=['Gentoo', 'Non Gentoo'])
plt.show()

```



Logistic (Logit) Regression

- Despite its name, **logistic regression** serves as a **classification** algorithm rather than a regression technique.
- The **labels** in logistic regression are binary values, denoted as $y_i \in \{0, 1\}$, making it a **binary classification task**.
- The primary objective of logistic regression is to determine the **probability** that a given instance x_i belongs to the **positive class**, i.e., $y_i = 1$.

The representation of the two classes, **negative** and **positive**, by the values 0 and 1, respectively, is not arbitrary. This choice is intrinsically connected to our objective of determining the **probability** that an instance x_i belongs to the positive class.

While this learning algorithm may initially seem unremarkable, it is essential to continue engaging with it, as logistic regression will later prove to be crucial in the discussion on artificial neural networks.

Model

- **General Case:** $P(y = k|x, \theta)$, where k is a class label.
- **Binary Case:** $y \in 0, 1$
 - **Predict** $P(y = 1|x, \theta)$

Visualizing our data

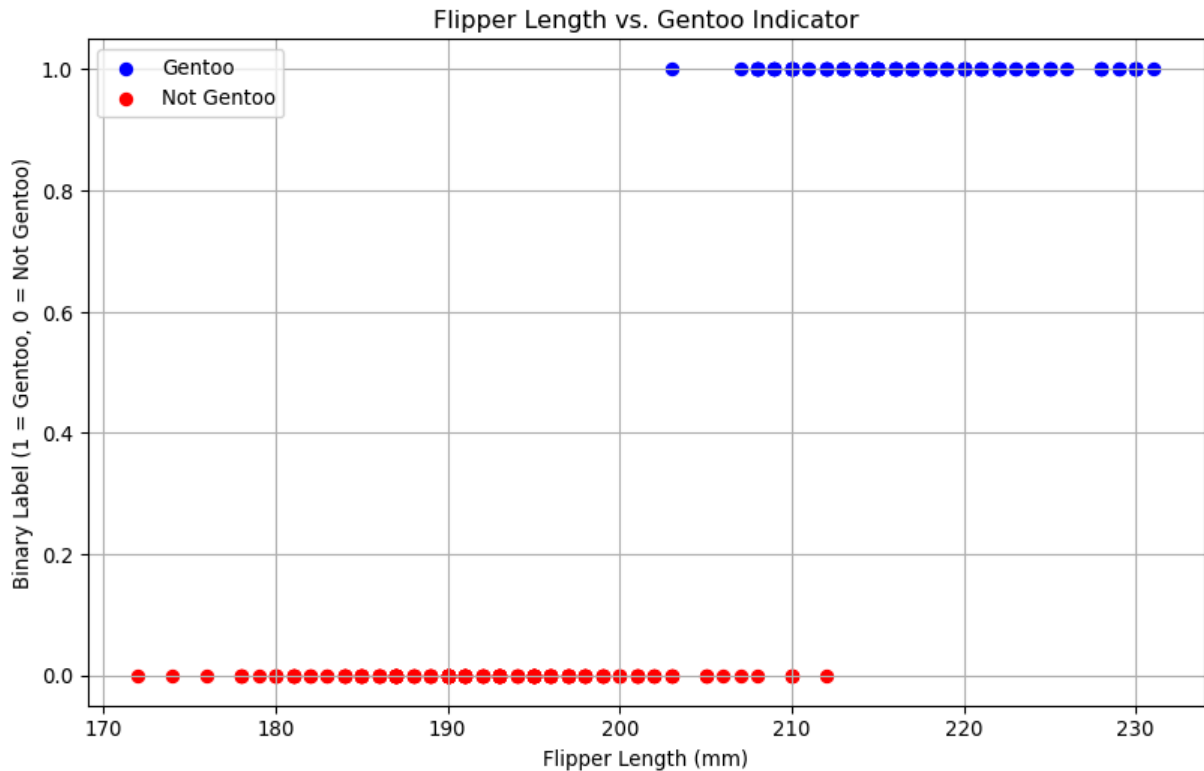
```
In [2]: # Scatter plot of flipper length vs. binary label (Gentoo or Not Gentoo)
plt.figure(figsize=(10, 6))

# Plot points labeled as Gentoo (is_gentoo = 1)
plt.scatter(
    df.loc[df['is_gentoo'] == 1, 'flipper_length_mm'],
    df.loc[df['is_gentoo'] == 1, 'is_gentoo'],
    color='blue',
    label='Gentoo'
)

# Plot points labeled as Not Gentoo (is_gentoo = 0)
plt.scatter(
    df.loc[df['is_gentoo'] == 0, 'flipper_length_mm'],
    df.loc[df['is_gentoo'] == 0, 'is_gentoo'],
    color='red',
    label='Not Gentoo'
)

plt.title('Flipper Length vs. Gentoo Indicator')
```

```
plt.xlabel('Flipper Length (mm)')
plt.ylabel('Binary Label (1 = Gentoo, 0 = Not Gentoo)')
plt.legend(loc='best')
plt.grid(True)
plt.show()
```



Intuition

Fitting a linear regression is not the answer, but ...

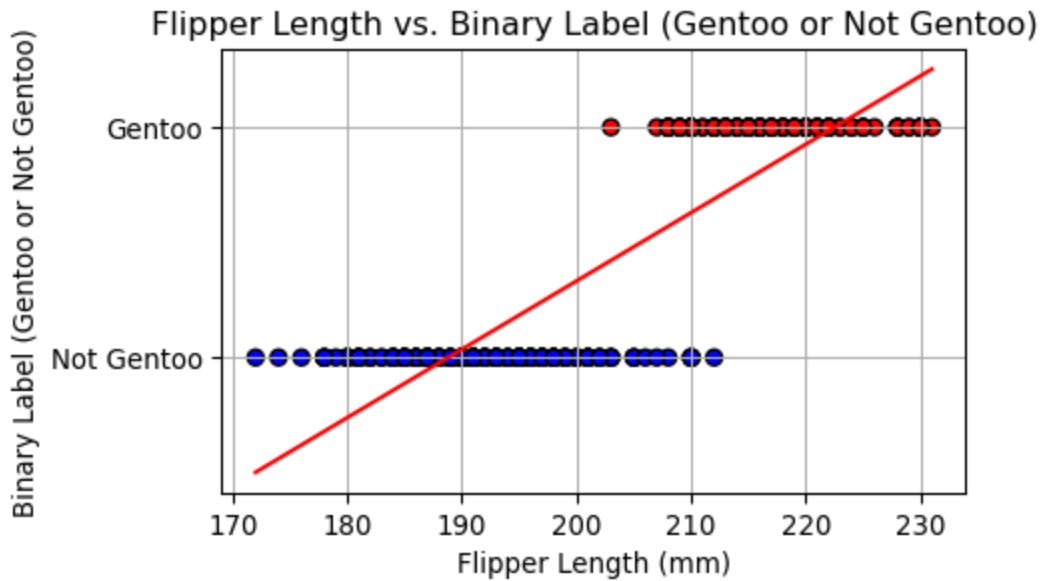
```
In [3]: from sklearn.linear_model import LinearRegression
import pandas as pd

lin_reg = LinearRegression()
lin_reg.fit(X, y)

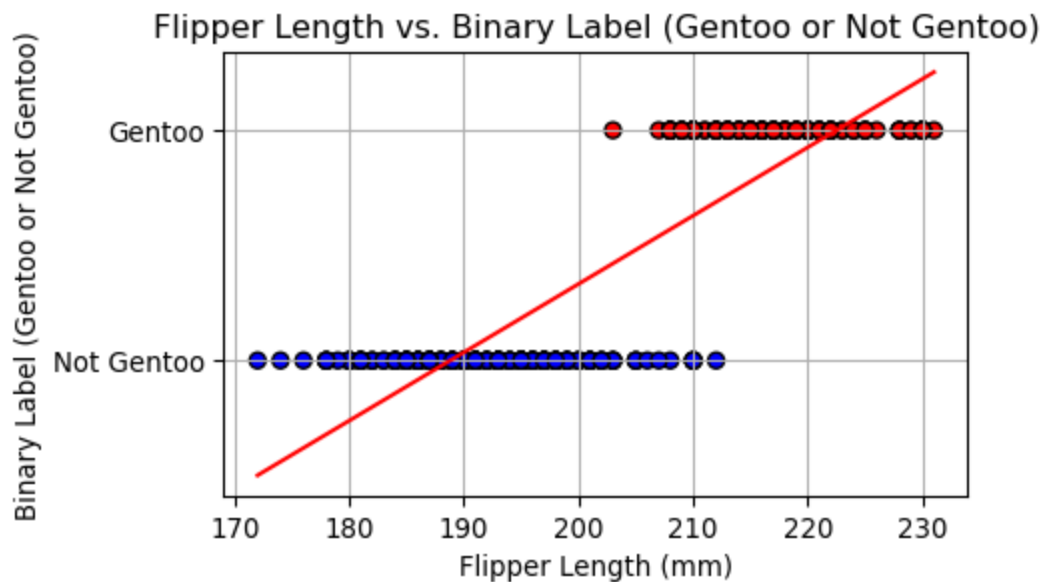
X_new = pd.DataFrame([X.min(), X.max()], columns=X.columns)

y_pred = lin_reg.predict(X_new)

# Plot the scatter plot
plt.figure(figsize=(5, 3))
plt.scatter(X, y, c=y, cmap='bwr', edgecolor='k')
plt.plot(X_new, y_pred, "r-")
plt.xlabel('Flipper Length (mm)')
plt.ylabel('Binary Label (Gentoo or Not Gentoo)')
plt.title('Flipper Length vs. Binary Label (Gentoo or Not Gentoo)')
plt.yticks([0, 1], ['Not Gentoo', 'Gentoo'])
plt.grid(True)
plt.show()
```

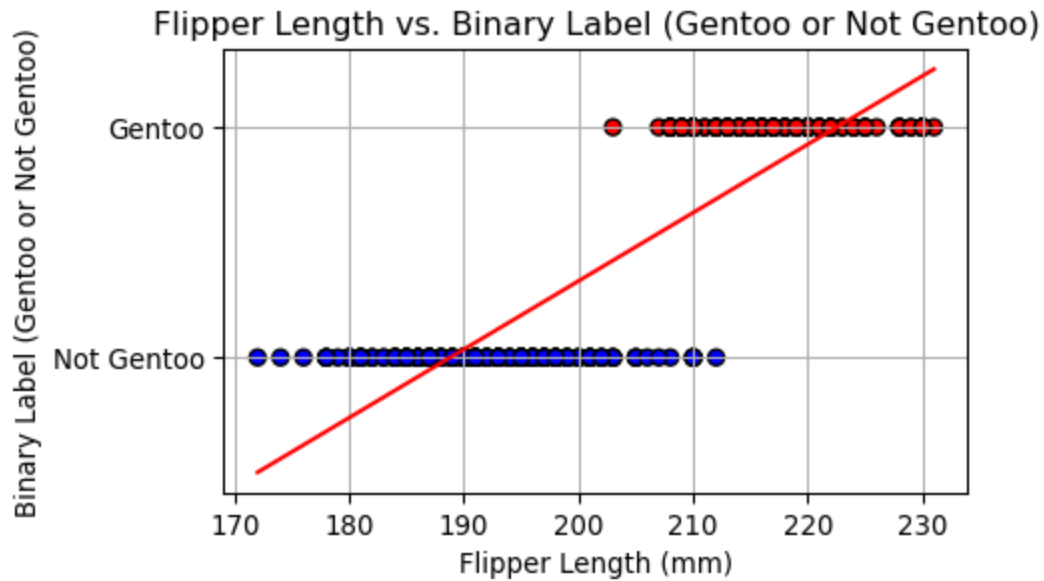


Intuition (continued)



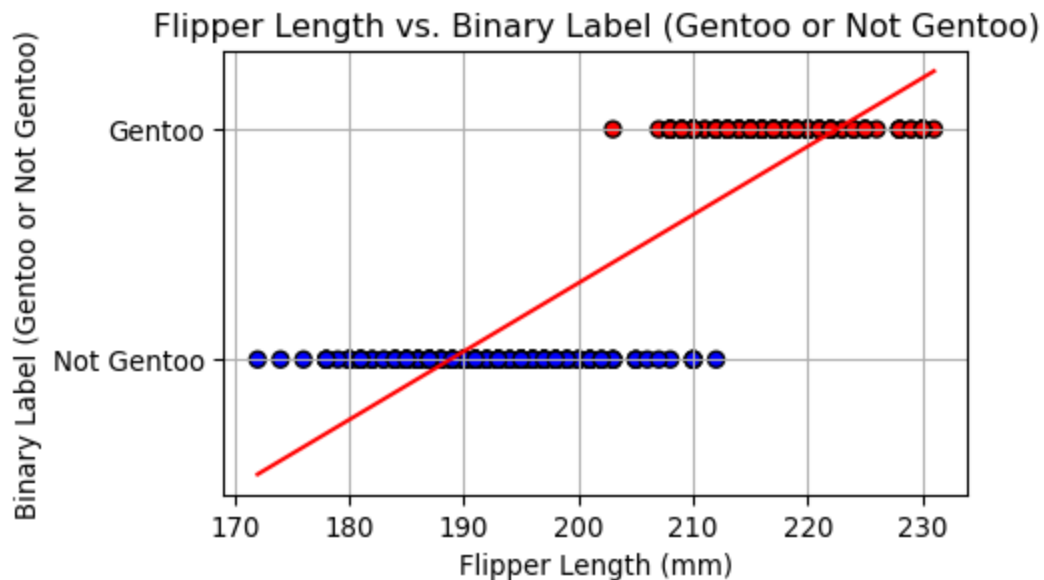
- A high `flipper_length_mm` typically results in a model output approaching 1.
- Conversely, a low `flipper_length_mm` generally yields a model output near 0.
- Notably, the model outputs are not confined to the $[0, 1]$ interval and may occasionally fall below 0 or surpass 1.

Intuition (continued)



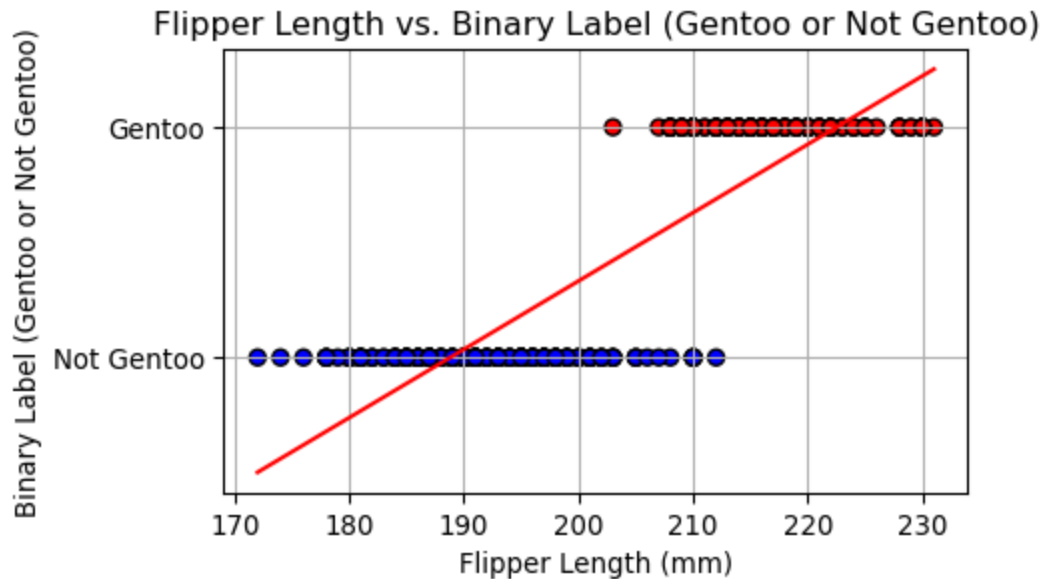
- For a **single feature**, the decision boundary is a **specific point**.
- In this case, the **decision boundary** is approximately 205.

Intuition (continued)



- As **flipper_length_mm** increases from 205 to 230, confidence in classifying the example as Gentoo rises.
- Conversely, as **flipper_length_mm** decreases from 205 to 170, confidence in classifying the example as non-Gentoo rises.

Intuition (continued)



- For **values near the decision boundary**, 205, some examples classify as Gentoo while others do not, leading to a classification uncertainty comparable to a coin flip (**0.5 probability**).

Logistic Function

Logistic Function

In mathematics, the **standard logistic function** maps a real-valued input from \mathbb{R} to the open interval $(0, 1)$. The function is defined as:

$$\sigma(t) = \frac{1}{1 + e^{-t}}$$

```
# Sigmoid function
def sigmoid(t):
    return 1 / (1 + np.exp(-t))

# Generate t values
t = np.linspace(-6, 6, 1000)

# Compute y values for the sigmoid function
sigma = sigmoid(t)

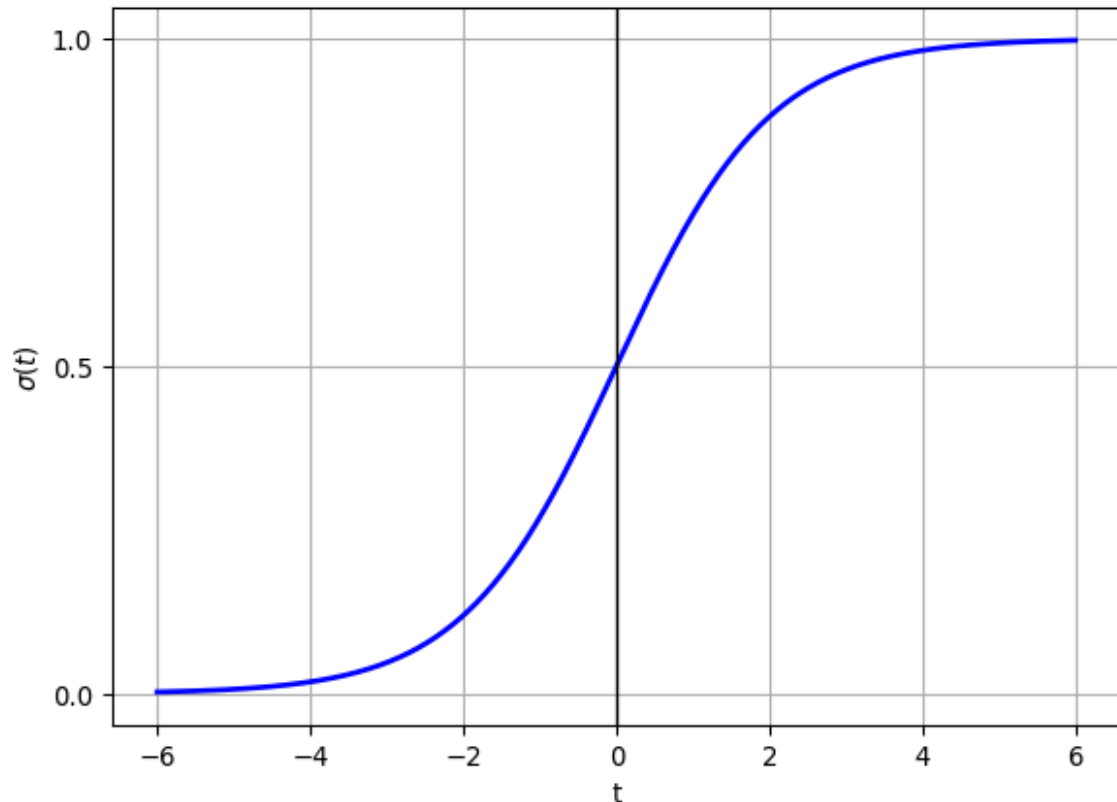
# Create a figure
fig, ax = plt.subplots()
ax.plot(t, sigma, color='blue', linewidth=2) # Keep the curve opaque

# Draw vertical axis at x = 0
ax.axvline(x=0, color='black', linewidth=1)
```

```
# Add labels on the vertical axis
ax.set_yticks([0, 0.5, 1.0])

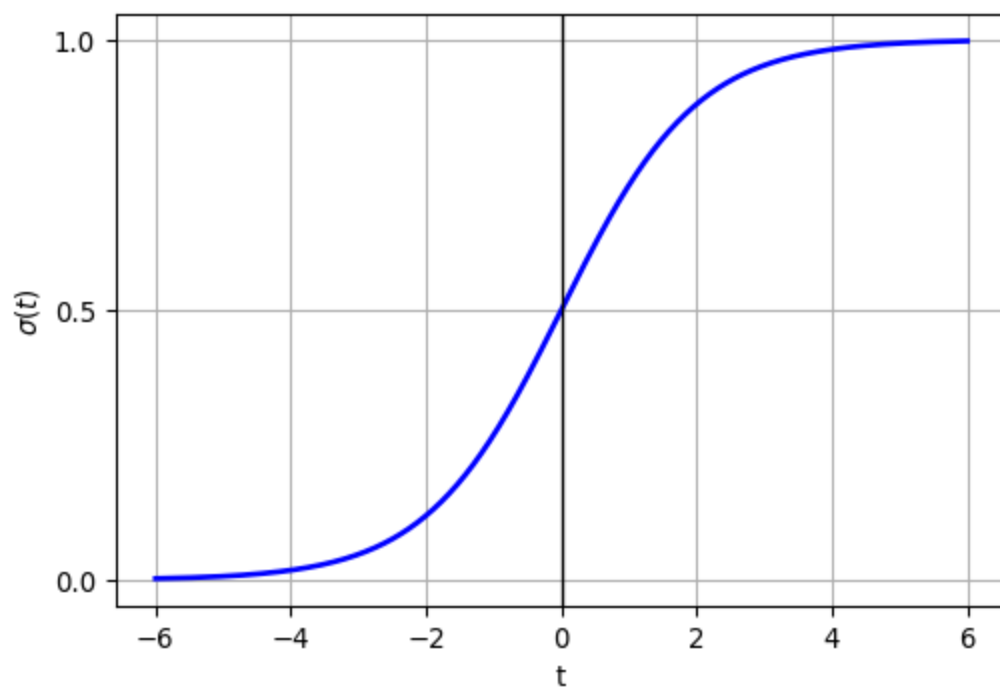
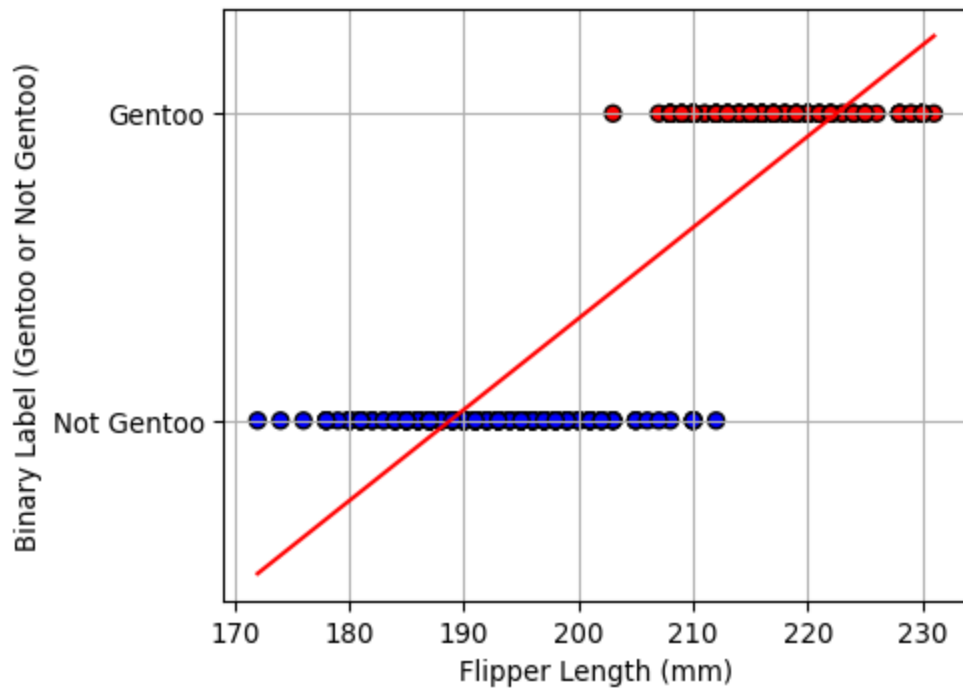
# Add labels to the axes
ax.set_xlabel('t')
ax.set_ylabel(r'\sigma(t)')

plt.grid(True)
plt.show()
```



- When the input variable t is 0, the output of the logistic function is 0.5.
 - Indeed, $e^{-t} = e^0 = 1$ and thus $\frac{1}{1+e^{-t}} = \frac{1}{1+1} = \frac{1}{2}$.
- As t increases, the output value approaches 1.
 - As $t \rightarrow \infty$, $e^{-t} \rightarrow 0$.
- Conversely, as t becomes more negative, the output value approaches 0.
 - As $t \rightarrow -\infty$, $e^{-t} \rightarrow \infty$ (the two negative signs cancel out).
- The standard logistic function is also commonly referred to as the **sigmoid** function.

Logistic Regression (intuition)



- When the **distance to the decision boundary** is **zero**, uncertainty is high, making a probability of **0.5** appropriate.
- As we move **away from the decision boundary**, confidence increases, warranting **higher** or **lower** probabilities accordingly.

Logistic function

An S-shaped curve, such as the standard logistic function (aka **sigmoid**), is termed a **squashing function** because it maps a wide input domain to a constrained output range.

$$\sigma(t) = \frac{1}{1 + e^{-t}}$$

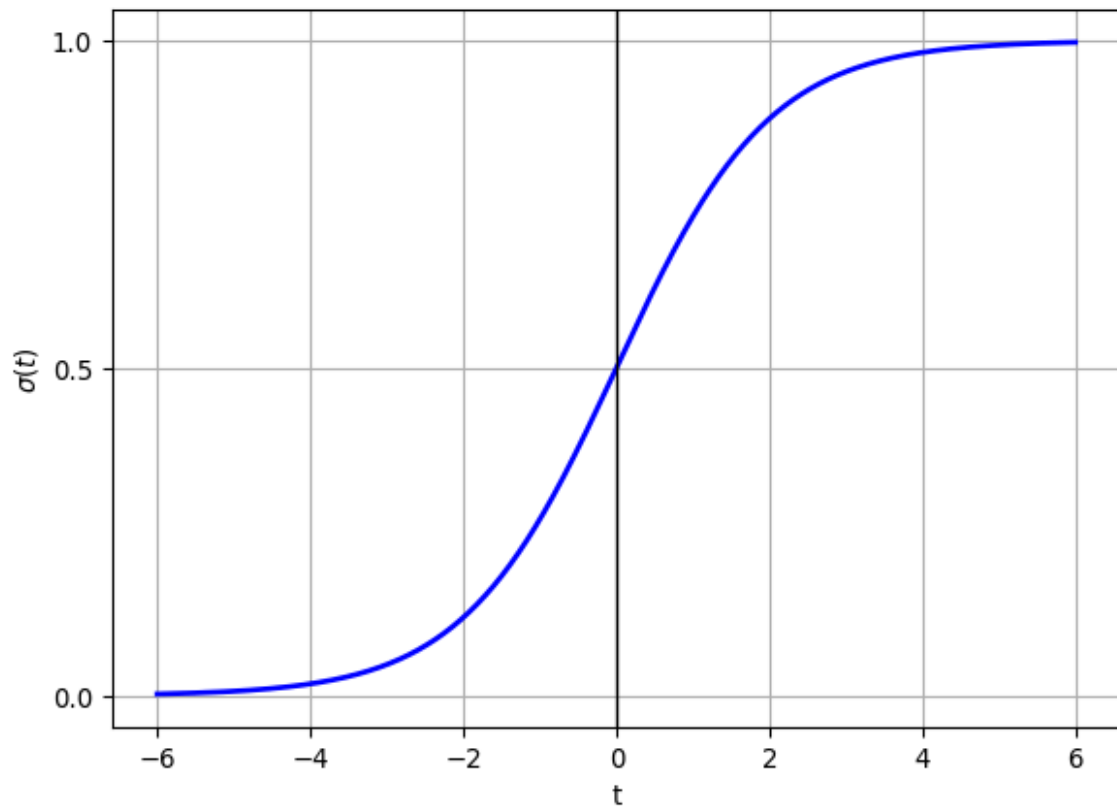
```
# Create a figure
fig, ax = plt.subplots()
ax.plot(t, sigma, color='blue', linewidth=2) # Keep the curve opaque

# Draw vertical axis at x = 0
ax.axvline(x=0, color='black', linewidth=1)

# Add labels on the vertical axis
ax.set_yticks([0, 0.5, 1.0])

# Add labels to the axes
ax.set_xlabel('t')
ax.set_ylabel(r'$\sigma(t)$')

plt.grid(True)
plt.show()
```



Logistic (Logit) Regression

- Analogous to **linear regression**, **logistic regression** computes a weighted sum of the input features, expressed as:

$$\theta_0 + \theta_1 x_i^{(1)} + \theta_2 x_i^{(2)} + \dots + \theta_D x_i^{(D)}$$

- However, using the sigmoid function limits its output to the range $(0, 1)$:

$$\sigma(\theta_0 + \theta_1 x_i^{(1)} + \theta_2 x_i^{(2)} + \dots + \theta_D x_i^{(D)})$$

Notation

- Equation for the **logistic regression**:

$$\sigma(\theta_0 + \theta_1 x_i^{(1)} + \theta_2 x_i^{(2)} + \dots + \theta_D x_i^{(D)})$$

- Multiplying θ_0 (intercept/bias) by 1:

$$\sigma(\theta_0 \times 1 + \theta_1 x_i^{(1)} + \theta_2 x_i^{(2)} + \dots + \theta_D x_i^{(D)})$$

- Multiplying θ_0 by $x_i^{(0)} = 1$:

$$\sigma(\theta_0 x_i^{(0)} + \theta_1 x_i^{(1)} + \theta_2 x_i^{(2)} + \dots + \theta_D x_i^{(D)})$$

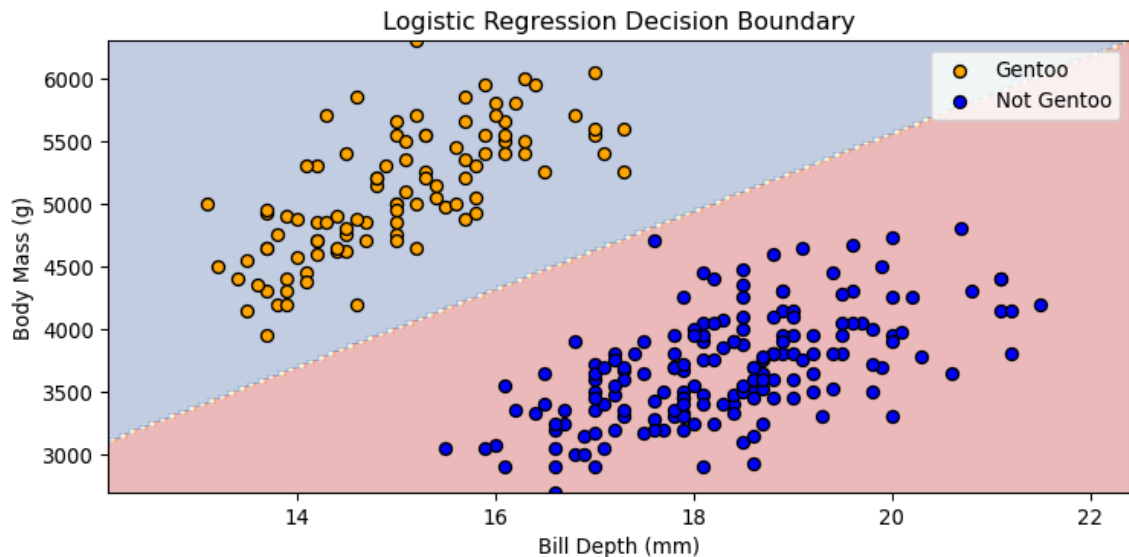
Logistic regression

The **Logistic Regression** model, in its vectorized form, is defined as:

$$h_{\theta}(x_i) = \sigma(\theta x_i) = \frac{1}{1 + e^{-\theta x_i}}$$

An extra feature, $x_i^{(0)} = 1$, has been added to x_i , and θ_0 is the intercept/bias term.

Logistic regression (two attributes)



$$h_{\theta}(x_i) = \sigma(\theta x_i)$$

- In logistic regression, **the probability of correctly classifying an example increases as its distance from the decision boundary increases.**
- This principle holds for both **positive** and **negative** classes.
- An example lying on the decision boundary has a **50% probability** of belonging to either class.

Logistic regression

- The **Logistic Regression** model, in its vectorized form, is defined as:

$$h_{\theta}(x_i) = \sigma(\theta x_i) = \frac{1}{1 + e^{-\theta x_i}}$$

- **Predictions** are made as follows:

- $y_i = 0$, if $h_{\theta}(x_i) < 0.5$
- $y_i = 1$, if $h_{\theta}(x_i) \geq 0.5$

...

- The values of θ are learned using **gradient descent**.

<https://youtu.be/yIYKR4sgzI8>

Attribution: StatQuest: Logistic Regression by Josh Starmer.

“StatQuest breaks down complicated Statistics and Machine Learning methods into small, bite-sized pieces that are easy to understand. StatQuest doesn’t dumb down the material, instead, it builds you up so that you are smarter and have a better

understanding of Statistics and Machine Learning." It is often a good place to start to get the intuition to understand statistical and machine learning concepts.

Digits example

1989 Yann LeCun

<https://www.youtube.com/watch?v=H0oEr40YhrQ>

Handwritten Digit Recognition

Aims:

- Developing a **logistic regression model** for the **recognition of handwritten digits**.
- Visualize the **insights** and **patterns** the model has acquired.

We are using the [UCI ML hand-written digits datasets](#).

UCI ML hand-written digits datasets

Loading the dataset

```
In [14]: from sklearn.datasets import load_digits  
digits = load_digits()
```

What is the type of `digits.data`

```
In [15]: type(digits.data)
```

`numpy.ndarray`

Developing a **logistic regression model** for the **recognition of handwritten digits**.

UCI ML hand-written digits datasets

How many examples (`N`) and how many attributes (`D`)?

```
In [16]: digits.data.shape
```

`(1797, 64)`

Assigning `N` and `D`

```
In [17]: N, D = digits.data.shape
```

`target` has the same number of entries (examples) as `data` ?

```
In [18]: digits.target.shape
```

```
(1797,)
```

UCI ML hand-written digits datasets

What are the width and height of those images?

```
In [19]: digits.images.shape
```

```
(1797, 8, 8)
```

Assigning `width` and `height`

```
In [20]: _, width, height = digits.images.shape
```

UCI ML hand-written digits datasets

Assigning `X` and `y`

```
In [21]: X = digits.data  
y = digits.target
```

UCI ML hand-written digits datasets

`X[0]` is a vector of size `width * height = D` ($8 \times 8 = 64$).

```
In [22]: X[0]
```

```
array([ 0.,  0.,  5., 13.,  9.,  1.,  0.,  0.,  0.,  0., 13., 15., 10.,  
       15.,  5.,  0.,  0.,  3., 15.,  2.,  0., 11.,  8.,  0.,  0.,  4.,  
       12.,  0.,  0.,  8.,  8.,  0.,  0.,  5.,  8.,  0.,  0.,  9.,  8.,  
        0.,  0.,  4., 11.,  0.,  1., 12.,  7.,  0.,  0.,  2., 14.,  5.,  
       10., 12.,  0.,  0.,  0.,  0.,  6., 13., 10.,  0.,  0.,  0.]
```

...

It corresponds to an $8 \times 8 = 64$ image.

```
In [23]: X[0].reshape(width, height)
```



```
array([[ 0.,  0.,  5., 13.,  9.,  1.,  0.,  0.],
       [ 0.,  0., 13., 15., 10., 15.,  5.,  0.],
       [ 0.,  3., 15.,  2.,  0., 11.,  8.,  0.],
       [ 0.,  4., 12.,  0.,  0.,  8.,  8.,  0.],
       [ 0.,  5.,  8.,  0.,  0.,  9.,  8.,  0.],
       [ 0.,  4., 11.,  0.,  1., 12.,  7.,  0.],
       [ 0.,  2., 14.,  5., 10., 12.,  0.,  0.],
       [ 0.,  0.,  6., 13., 10.,  0.,  0.,  0.]])
```

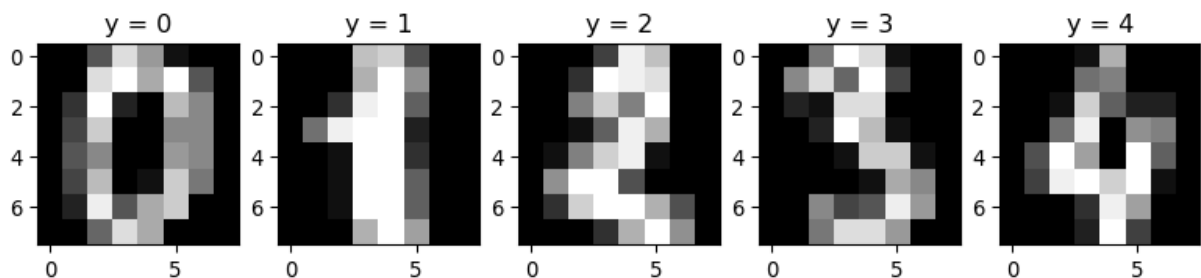
UCI ML hand-written digits datasets

Plot the first `n=5` examples

```
In [24]: import matplotlib.pyplot as plt
import numpy as np

plt.figure(figsize=(10,2))
n = 5

for index, (image, label) in enumerate(zip(X[0:n], y[0:n])):
    plt.subplot(1, n, index + 1)
    plt.imshow(np.reshape(image, (width,width)), cmap=plt.cm.gray)
    plt.title(f'y = {label}')
```



Intensity values close to 0 are represented in black, while high values are represented in white.

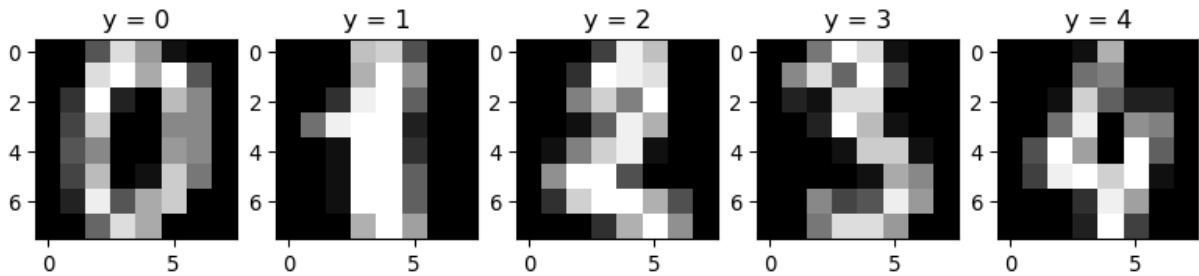
Use `cmap=plt.cm.binary` to invert the images (intensity values close to 0 in white, high values in black).

UCI ML hand-written digits datasets

```
In [25]: import matplotlib.pyplot as plt

plt.figure(figsize=(10,2))
n = 5

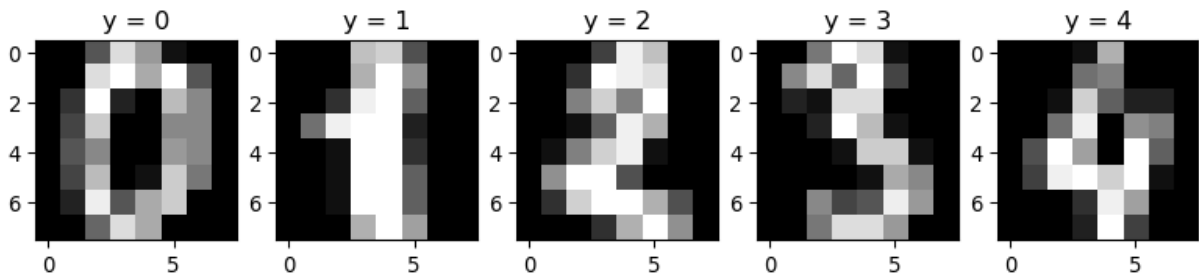
for index, (image, label) in enumerate(zip(X[0:n], y[0:n])):
    plt.subplot(1, n, index + 1)
    plt.imshow(np.reshape(image, (width,width)), cmap=plt.cm.gray)
    plt.title(f'y = {label}')
```



- In our dataset, each x_i is an **attribute vector** of size $D = 64$.
- This vector is formed by concatenating the rows of an 8×8 image.
- The `reshape` function is employed to convert this 64-dimensional vector back into its original 8×8 image format.

UCI ML hand-written digits datasets

In [26]:



- We will train **10 classifiers**, each corresponding to a specific digit in a **One-vs-All (OvA)** approach.
- Each classifier will determine the optimal values of θ_j (associated with the pixel features), allowing it to distinguish one digit from all other digits.

UCI ML hand-written digits datasets

Preparing for our machine learning experiment

```
In [27]: from sklearn.model_selection import train_test_split
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.1)
```

UCI ML hand-written digits datasets

Optimization algorithms generally work best when the attributes have similar ranges.

```
In [28]: from sklearn.preprocessing import StandardScaler
```

```
scaler = StandardScaler()  
X_train = scaler.fit_transform(X_train)  
X_test = scaler.transform(X_test)
```

Discussion: importance of applying `fit_transform` only to `X_train`

UCI ML hand-written digits datasets

```
In [29]: from sklearn.linear_model import LogisticRegression  
from sklearn.multiclass import OneVsRestClassifier
```

```
clf = OneVsRestClassifier(LogisticRegression())  
clf = clf.fit(X_train, y_train)
```

Asking the classifier to solve a multiclass task, using **one-vs-rest (OvR)**, aka OvA.

Classifiers in `sklearn` have [multi-learning support](#) built-in.

Each logistic regression finds a **hyperplane** in a **64-dimensional space** that separates the data into two classes.

UCI ML hand-written digits datasets

Applying the classifier to our test set

```
In [30]: from sklearn.metrics import classification_report
```

```
y_pred = clf.predict(X_test)  
print(classification_report(y_test, y_pred))
```

	precision	recall	f1-score	support
0	1.00	1.00	1.00	19
1	0.96	0.96	0.96	23
2	1.00	1.00	1.00	20
3	1.00	0.94	0.97	17
4	1.00	1.00	1.00	15
5	0.93	0.93	0.93	14
6	1.00	0.94	0.97	17
7	1.00	1.00	1.00	21
8	0.95	1.00	0.98	21
9	0.93	1.00	0.96	13
accuracy			0.98	180
macro avg	0.98	0.98	0.98	180
weighted avg	0.98	0.98	0.98	180

Visualization

How many classes?

```
In [31]: clf.classes_  
array([0, 1, 2, 3, 4, 5, 6, 7, 8, 9])  
...
```

The coefficients and intercepts are in distinct arrays.

```
In [32]: (clf.estimators_[0].coef_.shape, clf.estimators_[0].intercept_.shape)  
((1, 64), (1,))  
...
```

Intercepts are θ_0 , where as coefficients are $\theta_j, j \in [1, 64]$.

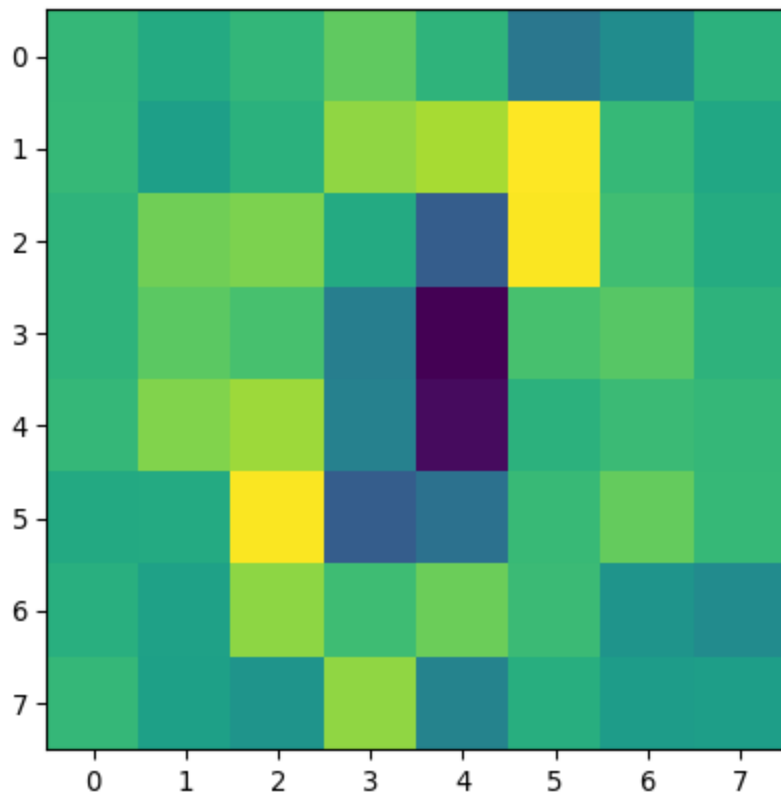
Adapted from [MNIST digits classification using Logistic regression in Scikit-Learn](#),
visited 2024-09-23.

Visualization

```
In [33]: clf.estimators_[0].coef_[0].round(2).reshape(width, height)  
array([[ 0.   , -0.15, -0.01,  0.24, -0.04, -0.71, -0.47, -0.05],  
       [ 0.01, -0.27, -0.07,  0.45,  0.54,  0.89,  0.01, -0.18],  
       [-0.03,  0.32,  0.37, -0.14, -0.98,  0.87,  0.07, -0.13],  
       [-0.04,  0.22,  0.12, -0.63, -1.77,  0.12,  0.2 , -0.05],  
       [ 0.   ,  0.39,  0.51, -0.6 , -1.68, -0.06,  0.05,  0.   ],  
       [-0.15, -0.14,  0.88, -0.98, -0.77,  0.02,  0.27,  0.01],  
       [-0.09, -0.24,  0.44,  0.07,  0.29,  0.04, -0.39, -0.49],  
       [ 0.   , -0.26, -0.4 ,  0.45, -0.58, -0.1 , -0.29, -0.28]])
```

Visualization

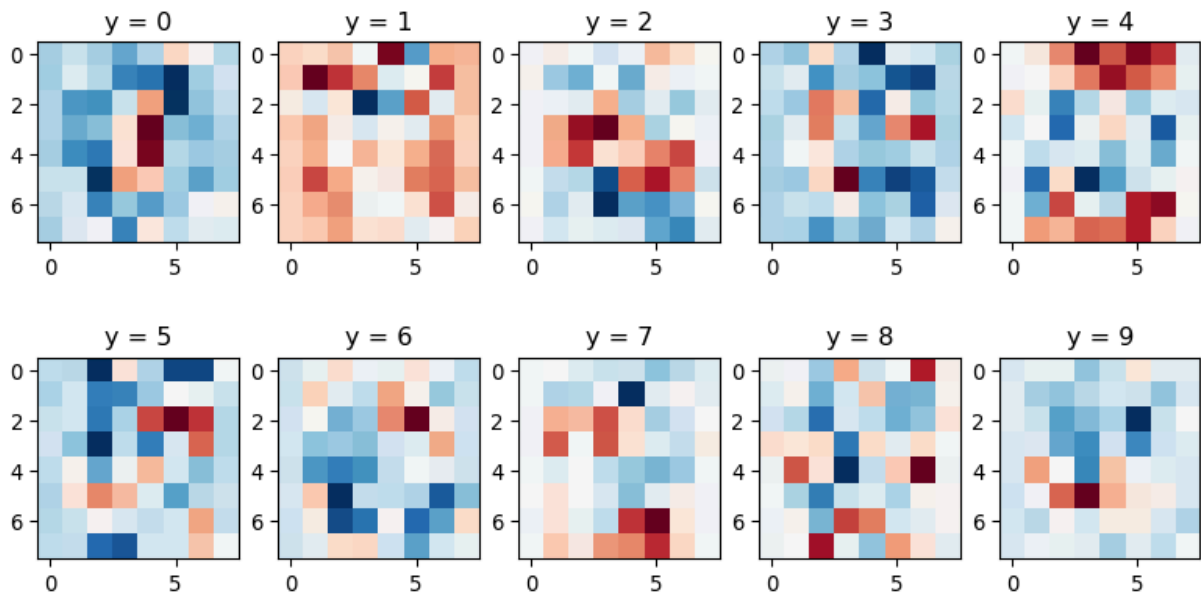
```
In [34]: coef = clf.estimators_[0].coef_  
plt.imshow(coef[0].reshape(width,height))
```



Visualization

```
In [35]: plt.figure(figsize=(10,5))

for index in range(len(clf.classes_)):
    plt.subplot(2, 5, index + 1)
    plt.title(f'y = {clf.classes_[index]}')
    plt.imshow(clf.estimators_[index].coef_.reshape(width,width),
               cmap=plt.cm.RdBu)
```



Each `LogisticRegression` learns 64 θ_i parameters.

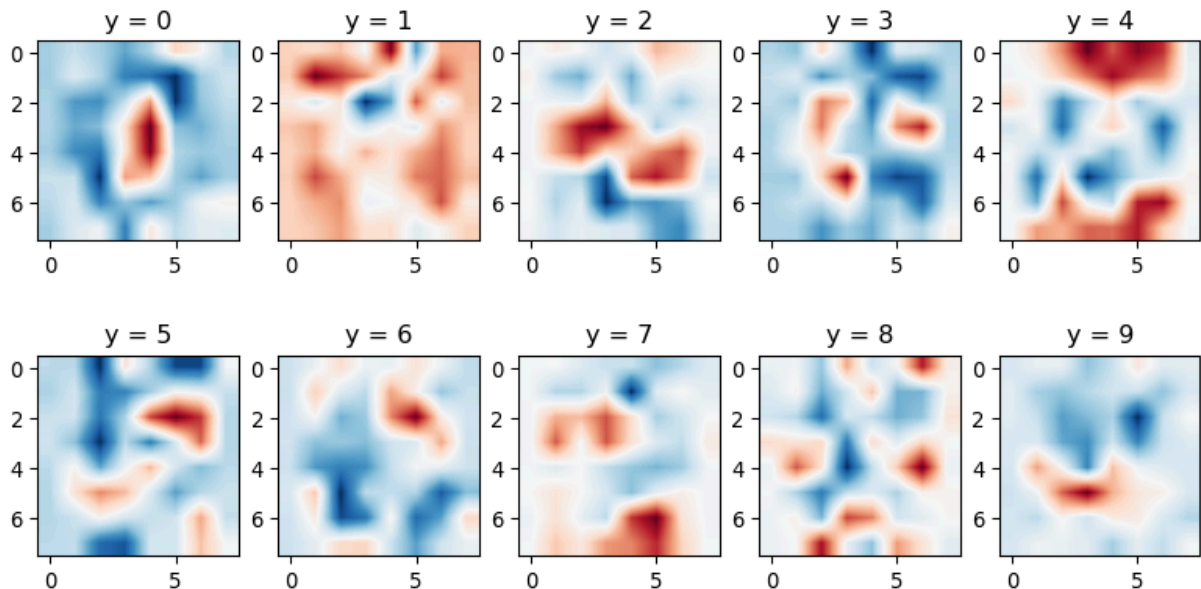
In the images above, red pixels correspond to negative coefficients, while blue pixels correspond to positive coefficients.

For the first classifier, which predicts the digit '0', the model assigns negative weights to high-intensity pixels in the center of the image and positive weights to high-intensity pixels in the oval region surrounding the center.

Visualization

```
In [36]: plt.figure(figsize=(10,5))

for index in range(len(clf.classes_)):
    plt.subplot(2, 5, index + 1)
    plt.title(f'y = {clf.classes_[index]}')
    plt.imshow(clf.estimators_[index].coef_.reshape(width,width),
               cmap=plt.cm.RdBu,
               interpolation='bilinear')
```



<https://youtu.be/AX-ZEC-71DI>

Attribution: [Machine Learning and Logistic Regression](#), IBM Technology, 2024-07-19.

Prologue

References

Alharbi, Fadi, and Aleksandar Vakanski. 2023. "Machine Learning Methods for Cancer Classification Using Gene Expression Data: A Review." *Bioengineering* 10 (2): 173. <https://doi.org/10.3390/bioengineering10020173>.

Russell, Stuart, and Peter Norvig. 2020. *Artificial Intelligence: A Modern Approach*. 4th ed. Pearson. <http://aima.cs.berkeley.edu/>.

Wu, Qianfan, Adel Boueiz, Aican Bozkurt, Arya Masoomi, Allan Wang, Dawn L DeMeo, Scott T Weiss, and Weiliang Qiu. 2018. "Deep Learning Methods for Predicting Disease Status Using Genomic Data." *Journal of Biometrics & Biostatistics* 9 (5).

Resources

- [Logistic Regression 3-class Classifier](#) from `sklearn`
- [Plot the decision surface of decision trees trained on the iris dataset](#) from `sklearn`
- [Decision trees](#) by Jan Kirenz, a Professor at HdM Stuttgart
- [CS 320 Apr12-2021 \(Part 2\) - Decision Boundaries](#) by Tyler Caraza-Harter, an Instructor at UW-Madison

Next lecture

- Cross evaluation and performance measures

One-vs-All

One-vs-All classifier (complete)

```
In [37]: from sklearn.datasets import load_iris

from sklearn.model_selection import train_test_split
from sklearn.preprocessing import label_binarize

# Load the Iris dataset
iris = load_iris()
X, y = iris.data, iris.target

# Binarize the output
y_bin = label_binarize(y, classes=[0, 1, 2])

# Split the dataset into training and testing sets
X_train, X_test, y_train, y_test = train_test_split(X, y_bin, test_size=0.2,
```

One-vs-All classifier (complete)

```
In [38]: # Train a One-vs-All classifier for each class
```

```
classifiers = []
for i in range(3):
    clf = LogisticRegression()
    clf.fit(X_train, y_train[:, i])
    classifiers.append(clf)
```

Each logistic regression finds a **hyperplane** in a **4-dimensional space** that separates the data into two classes.

One-vs-All classifier (complete)

```
In [39]: # Predict on a new sample
new_sample = X_test[0].reshape(1, -1)
confidences = [clf.decision_function(new_sample) for clf in classifiers]

# Final assignment
final_class = np.argmax(confidences)

# Printing the result
print(f"Final class assigned: {iris.target_names[final_class]}")
print(f"True class: {iris.target_names[np.argmax(y_test[0])]}")
```

Final class assigned: versicolor
True class: versicolor

label_binarized

```
In [40]: from sklearn.preprocessing import label_binarize

# Original class labels
y_train = np.array([0, 1, 2, 0, 1, 2, 1, 0])

# Binarize the labels
y_train_binarized = label_binarize(y_train, classes=[0, 1, 2])

# Assume y_train_binarized contains the binarized labels
print("Binarized labels:\n", y_train_binarized)

# Convert binarized labels back to the original numerical values
original_labels = [np.argmax(b) for b in y_train_binarized]
print("Original labels:\n", original_labels)
```


Binarized labels:

```
[[1 0 0]
 [0 1 0]
 [0 0 1]
 [1 0 0]
 [0 1 0]
 [0 0 1]
 [0 1 0]
 [1 0 0]]
```

Original labels:

```
[np.int64(0), np.int64(1), np.int64(2), np.int64(0), np.int64(1), np.int64(2), np.int64(1), np.int64(0)]
```

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Attribution: "An image of a sad Chihuahua amigurumi with a birthday hat." Generated by DALL-E, via ChatGPT (GPT-4), OpenAI, September 16, 2024.